

Item Amend } _ _ _ Amend

<p>If m is numeric and $z=: m\} y$, then $\\$z$ equals $\\$m$, which equals the shape of an item of y. The atom $j\{z$ is $j\{(j\{m\}\}y$. For example:</p> <pre> y=: a. {~(a.i.'A')+i.4 5 m=: 3 1 0 2 1 y ; m ; m}y </pre> <table border="1" style="margin-left: 20px; border-collapse: collapse; text-align: center;"> <tr><td>ABCDE</td><td>3 1 0 2 1</td><td>PGCNJ</td></tr> <tr><td>FGHIJ</td><td></td><td></td></tr> <tr><td>KLMNO</td><td></td><td></td></tr> <tr><td>PQRST</td><td></td><td></td></tr> </table>	ABCDE	3 1 0 2 1	PGCNJ	FGHIJ			KLMNO			PQRST			<p>If m is not a gerund, $x m\} y$ is formed by replacing by x those parts of y selected by $m\{\cdot$. Thus:</p> <pre> y; '%*(1 3;2 _1)} y </pre> <table border="1" style="margin-left: 20px; border-collapse: collapse; text-align: center;"> <tr><td>ABCDE</td><td>ABCDE</td></tr> <tr><td>FGHIJ</td><td>FGH%J</td></tr> <tr><td>KLMNO</td><td>KLMN*</td></tr> <tr><td>PQRST</td><td>PQRST</td></tr> </table> <p>$\\$x$ must be a suffix of $\\$m\{y$, and x has the same effect as $(\\$m\{y)\\$,x$. Thus:</p> <pre> y; 'think' 1 2} y </pre> <table border="1" style="margin-left: 20px; border-collapse: collapse; text-align: center;"> <tr><td>ABCDE</td><td>ABCDE</td></tr> <tr><td>FGHIJ</td><td>think</td></tr> <tr><td>KLMNO</td><td>think</td></tr> <tr><td>PQRST</td><td>PQRST</td></tr> </table>	ABCDE	ABCDE	FGHIJ	FGH%J	KLMNO	KLMN*	PQRST	PQRST	ABCDE	ABCDE	FGHIJ	think	KLMNO	think	PQRST	PQRST
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If m is a gerund, one of its elements determines the index argument to the adverb $\}$, and the others modify the arguments x and y :

$$\begin{aligned}
 x (v0\`v1\`v2)\} y &\leftrightarrow (x v0 y) (x v1 y)\} (x v2 y) \\
 (v0\`v1\`v2)\} y &\leftrightarrow (v1 y)\} (v2 y) \\
 (\ v1\`v2)\} y &\leftrightarrow (v1 y)\} (v2 y)
 \end{aligned}$$

For example, the following functions $E1$, $E2$, and $E3$ interchange two rows of a matrix, multiply a row by a constant, and add a multiple of one row to another:

```

E1=: <@] C. [ [ . E2=: f`g`[ [ . E3=: F`g`[ [
f=: {:@] * {.@] { [
F=: [: +/ (1:,{:@]) * (::@] { [
g=: {.@]
M=: i. 4 5
M;(M E1 1 3);(M E2 1 10);(M E3 1 3 10)

```

0 1 2 3 4	0 1 2 3 4	0 1 2 3 4	0 1 2 3 4
5 6 7 8 9	15 16 17 18 19	50 60 70 80 90	155 166 177 188 199
10 11 12 13 14	10 11 12 13 14	10 11 12 13 14	10 11 12 13 14
15 16 17 18 19	5 6 7 8 9	15 16 17 18 19	15 16 17 18 19

Item Amend $u\}$ — — — Amend

$u\}$ is defined in terms of the noun case $m\}$, the verb u applying to the argument or arguments to provide the numeric indices required by it.

For example:

```
x=: 100 + i. 2 4
u=: */@$@] | (5: * i.@$@[)
y=: i. 3 2 4
x ; y ; (x u y) ; (x u} y)
```

+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+
100 101 102 103	0 1 2 3	0 5 10 15	100 105 2 3
104 105 106 107	4 5 6 7	20 1 6 11	4 101 106 7
	8 9 10 11		8 9 102 107
	12 13 14 15		12 13 14 103
	16 17 18 19		16 17 18 19
	20 21 22 23		104 21 22 23
+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+

The positions selected by $x u\} y$ may be made to depend on either or both of the arguments x and y , and related adverbs can be defined for convenient use in common cases. For example:

```
A=: @(i.@$@])
u=: (<0 1)&|:
x=: 'DIAG' [ y=: a. {~ (a. i. 'a') + i. 4 5
x ; y ; (x u A y) ; (x u} A} y)
```

+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+
DIAG	abcde	0 6 12 18	Dbcde
	fghij		fIhij
	klmno		klAno
	pqrst		pqrGt
+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+	+-----+-----+-----+-----+

Also see the case $m\}$ for the use of gerunds.