

Insert m / u / _ _ _ Table

<p>u/y applies the dyad u between the items of y. Thus:</p> <pre style="margin-left: 20px;"> m=: i. 3 2 m / (+/m); (+/"1 m); (+/2 3 4) </pre> <table border="1" style="margin-left: 20px; border-collapse: collapse; text-align: center;"> <tr><td style="border-right: 1px solid black;">0</td><td style="border-right: 1px solid black;">1</td><td style="border-right: 1px solid black;">6</td><td style="border-right: 1px solid black;">9</td><td style="border-right: 1px solid black;">1</td><td style="border-right: 1px solid black;">5</td><td style="border-right: 1px solid black;">9</td><td style="border-right: 1px solid black;">9</td></tr> <tr><td style="border-right: 1px solid black;">2</td><td style="border-right: 1px solid black;">3</td><td></td><td></td><td></td><td></td><td></td><td></td></tr> <tr><td style="border-right: 1px solid black;">4</td><td style="border-right: 1px solid black;">5</td><td></td><td></td><td></td><td></td><td></td><td></td></tr> </table> <p>m/y inserts successive verbs from the gerund m between items of y, extending m cyclically as required. Thus, $+`*/i.6$ is $0+1*2+3*4+5$.</p>	0	1	6	9	1	5	9	9	2	3							4	5							<p>If x and y are numeric lists, then $x */ y$ is their multiplication table. Thus:</p> <pre style="margin-left: 20px;"> 1 2 3 */ 4 5 6 7 4 5 6 7 8 10 12 14 12 15 18 21 </pre> <p>In general, each cell of x is applied to the entire of y. Thus $x u/ y$ is equivalent to $x"(1u,_) y$ where $1u$ is the left rank of u.</p> <p>The case $*/$ is called outer product in tensor analysis.</p>
0	1	6	9	1	5	9	9																		
2	3																								
4	5																								

If y has no items (that is, $0=\#y$), the result of u/y is the neutral or identity element of the function u . A neutral of a function u is a value e such that $x u e \leftrightarrow x$ or $e u x \leftrightarrow x$, for every x in the domain (or some significant sub-domain such as boolean) of u . This definition of insertion over an argument having zero items extends partitioning identities of the form $u/y \leftrightarrow (u/k\{.y) u (u/k\}.y)$ to the cases $k \in . 0, \#y$.

The identity function of u is a function ifu such that $ifu y$ is u/y if $0=\#y$. The identity functions used are:

Identity function	For
$\$&0\{.\}.\@\$$	$< > + - +. \sim: (2 4 5 6 b.)$
$\$&1\{.\}.\@\$$	$= <: >: * \% *. \%: ^ ! (1 9 11 13 b.)$
$b.)$	
$\$&_\{.\}.\@\$$	$<.$
$\$&_\{.\}.\@\$$	$>.$
$i.\{0&, \}@\{2&\}.\@\$$	$,$
$i.\{1&\{.\}\}.\@\$$	$C. \{$
$=@i.\{1&\{.\}\}.\@\$$	$\% . +/ . *$
$ifu\#\$	$u/$
$\$&(v^: _1 ifu\$0)\{.\}.\@\$$	$u\&.v$