



Numbers in Math Versus Numbers in Programming (Review)

- The integers and real numbers of the idealized world of math have some properties not completely shared by their computer representations.
- Math integers can be any size; computer integers can't.

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- Math real numbers can be any size and precision; floating-point numbers can't. Also, some quantities that can be represented easily in decimal can't be represented in binary.
- Math operations on integers and reals have properties such as associativity that don't necessarily hold for the computer representations. (Yes, really!)
- (Two "floating point is strange" example programs.)



 Many situations in which it's useful or interesting to have "random" numbers. Why the quotation marks? Partly because exactly what random means is difficult to pin down, partly because the best we can do in deterministic code is a good fake — pseudo-random.

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- Mathematically interesting topic, classic reference is in one of the volumes of Donald Knuth's *The Art of Computer Programming*.
 (Aside: Some of you also know Knuth as the inventor of the typesetting system T_EXİt's an extreme example of a "side project" that turned into
 - something much more?)
- Uses in programming include simulating various things in the physical world. Textbook examples often involve simulating rolling dice, shuffling cards, etc.



• C library includes functions srand(), rand. srand() uses a "seed" to initialize some behind-the-scenes variables, after which you call rand() repeatedly to generate a sequence of "random" numbers. If you do this more than once with the same seed you get the same sequence; using different values of the seed gives different sequences.

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"Monte Carlo" algorithms are based on "random" numbers. An example is a
program to estimate π by simulating throwing darts into a board containing a
quarter circle. (More in program comments.)

