### Administrivia

• Homework 6 design due today (11:59pm).

#### Slide 1

Slide 2

## Recursion — Overview

- Basic approach:
- Identify "base case" something you can solve directly.
- Figure out how to decompose non-base cases into "smaller" problems, and apply algorithm to smaller problems.
- How to think about "does it work?"
  - Does it work for base case(s)?
  - Assuming recursive calls work, does it work for other cases?
  - Does every recursive call get you at least one step closer to a base case?
- Implementation conceptually (and usually in fact) involves a stack of calls-in-progress.
- Can be slower than iteration (though sometimes not), but can also be much easier to understand.

## Recursion — Simple Examples

- Factorial function.
- · Function to compute Fibonacci numbers (very slow!).

Slide 3

## Recursion — Parsing an Arithmetic Expression

- "Fully parenthesized arithmetic expression" is one of two things:
- A number n.
- Something of the form

 $(e \ op \ f)$ 

Slide 4

where  $\boldsymbol{e}$  and  $\boldsymbol{f}$  are expressions and op is one of the four arithmetic operators.

- . How to evaluate one of these?
- Let's write code for that . . .

CSCI 1321 November 6, 2003

# Minute Essay

Consider the following recursive function.

```
public static int mystery(int m, int n) {
    if (n == 0)
        return m;
    else
        return 1 + mystery(m, n-1);
}
```

- What does mystery(5, 3) return?
- Give a short description in general of what mystery accomplishes (not
  how it accomplishes it e.g., we don't really care whether Math.min(a,
  b) uses if or something else, so long as it returns the smaller of a and b).
   Assume input n is non-negative, or also say what happens if n is negative.

