



Slide 1

Recap — Propositional Logic Proofs

 Idea is to construct detailed formal proof ("proof sequence") capturing "valid argument" that one thing logically follows from others.
Problems sometimes cast in terms of hypotheses and conclusion, sometimes

as "prove that $P \ \land \ Q \ \rightarrow \ R$ is a tautology". Same thing — "deduction method."

 Proof sequence can be thought of as sequence of valid moves in an elaborate game. Typically guided by some deeper understanding of why conclusion follows from hypotheses, but — this is a formal system, and we're not allowed to make up new moves, however plausible-seeming, unless we can prove (with a proof sequence) that the new move is valid.

What Does This Buy Us?

- Yes, this can seem long and tedious. But ...
- It's in some ways easier than other approaches, and certainly more reliable.
- Compare to "word problems" in algebra first convert from natural language to math, apply math, convert back with practice, easier and more reliable than guessing.
- In a way, we're replacing thinking with symbol manipulation!

Slide 3

Slide 4



