





- $\rho$  is *reflexive* if  $x \rho x$  for all  $x \in S$ .
- $\rho$  is symmetric if  $(x \rho y) \rightarrow (y \rho x)$  for all  $x, y \in S$ .
- $\rho$  is transitive if  $(x \ \rho \ y) \ \land \ (y \ \rho \ z) \ \rightarrow \ (x \ \rho \ z)$  for all  $x, y, z \in S$ .
- $\rho$  is antisymmetric if  $(x \ \rho \ y) \ \land \ (y \ \rho \ x) \ \rightarrow \ (x = y)$  for all  $x, y \in S$ .
- Slide 3
- Can combine these in interesting ways ...





## Uses of Partial Orderings One thing a partial ordering (reflexive, symmetric, transitive relation — think "generalized ≤") can express — ordering constraints among tasks. We'll look at one application — topological sorting. PERT charts discussed in book.















