

Multiplication, Continued
Recall basic strategy — same method as with base 10, but simpler because computing partial results is easier.
This gives the textbook's first algorithm, figure 4.26. (Work through example.)
Can then make improvements: First modify so we can use 32-bit rather than 64-bit addition (figure 4.29), then use 64-bit work area to hold product and multiplier both (figure 4.32). (Work through example.)
What about signs? Last algorithm works, if we extend the sign bit when we shift right.
A further improvement — "Booth's algorithm."





Division
• As with other arithmetic, first think through how we do this "by hand" in base 10. (Review terminology: We divide "dividend" a by "divisor" b to produce quotient q and remainder r , where $a = bq + r$ and $0 \le r < b$.) Example? We can do the same thing in base 2; this gives the algorithm in figure 4.37. (Work through example.)
• Can then make improvements: First modify so we can do 32-bit rather than 64-bit arithmetic; then use 64-bit work area to hold both quotient and reminder (figure 4.40). (Work through example.)
 What about signs? Simplest solution is (they say!) to perform division on non-negative numbers and then fix up signs of the result if need be.



	Division, Continued
 In MI	PS architecture, 64-bit work area for quotient and remainder is kept in
same	two special-purpose registers used for multiplication (lo and hi).
After	division, quotient is in lo and remainder is in hi. Two (or more)
instru	actions needed to do a division and get the result:
div	rs1, rs2
mfl	o rq
mfh	i rr
Asse	mbler provides a "pseudoinstruction":
div	rdest, rs1, rs2
 Notic (Which 	e, however, that a "smart" compiler might turn some divisions into shifts ch ones?)

Slide 7

