## Administrivia

- Reminder: Homework 1 due today (but accepted without penalty through tomorrow). Hardcopy please. Usually I say 5pm for written work but really anytime before $11: 59 \mathrm{pm}$ is okay if you put it in the mailbox outside my office.
- For minute essays with "right" answers there will be a sample solution in the


## Slide 1

 final version of the online notes.- Sample solutions for quizzes will be linked from the "lecture topics and assignments" page after (both sections of) class.


## Minute Essay From Last Lecture

- Many people came up with something pretty much right, but by no means all.
- (Review answers?)


## Slide 2

## MIPS Instructions — Recap/Review

- MIPS instructions include some for arithmetic (which operate on registers and small constants) and some for transfer between memory and registers.
- Registers include some special-purpose ones (e.g., program counter) and 32 general-purpose ones. Each holds a 32-bit value. Can reference the latter by
Slide 3 number (0 through 31) or using symbolic names (shown in "MIPS reference" in textbook).


## SPIM Simulator

- Simulator (command spim or xspim) emulates a real MIPS processor and can be used to assemble (on the fly) and execute assembly-language programs.
- At startup it contains in memory what amounts to a very primitive operating

Slide 4 system, including code to do some simple setup and call a ma in procedure and code for some "system calls" for very simple console I/O.

- main procedures include some boilerplate "linkage" at start and end, as in starter.s on sample programs page on course Web site. No I/O yet but you can watch values in registers change.
- (Continue demo from last time.)


## Representing Instructions in Binary

- "It's all ones and zeros" applies not only to data but also to programs "stored program" idea. (Some very early computers didn't work that way programming was by rewiring(!).)
- So we need a way to represent instructions in binary ...


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Representing Instructions in Binary, Continued

- First consider what we have to represent:
- For all instructions, which instruction it is.
- For add and sub, three operands (all register numbers).
- For lw and sw, three operands (two register numbers and a

Slide $6 \quad$ "displacement").

- And so forth ...
- So, each instruction will have "fields" - consistent format for storing pieces of data, a little like a C struct.


## Representing Instructions in Binary, Continued

- So, can we use the same format for all instructions? Some data ("which instruction") is common to all, but operands may need to be different.
- Can we / should we make all instructions the same length? For MIPS, yes (other architectures differ), and then define different ways of dividing up the


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R Format

- Meant for instructions such as add.
- Fields:
- op - op code, 6 bits
- rs - first source operand, 5 bits

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- rt - second source operand, 5 bits
- rd - destination operand, 5 bits
- shamt — "shift amount" (not used for add), 5 bits
- funct - "function field", 6 bits
- Example - find binary representation of

$$
\text { add } \quad \$ t 0, \$ s 1, \$ s 2
$$

## I Format

- Meant for instructions such as lw.
- Fields:
- op - op code, 6 bits
- rs - first source operand, 5 bits


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- rt - destination operand, 5 bits
- disp - displacement, 16 bits
- Example - find binary representation of

$$
\text { lw } \quad \$ t 0,1200(\$ t 1)
$$

- How can we tell which format is being used? determined by value for op.


## Logical Operations

- Sometimes useful to be able to work with individual bits - e.g., to implement a compact array of boolean values.
- Thus, MIPS instruction set provides "logical operations". Hard to say whether these exist to support C bit-manipulation operations, or C bit-manipulation operations exist because most ISAs provide such instructions!


## "Shift" Instructions

- $\mathrm{C} \ll$ and >> (on unsigned numbers) are translated into sll ("shift left logical") and srl ("shift right logical").
- sll and srl do what the names imply - bits "fall off" one side, and we add zeros at the other side. These are R-format instructions, and they use that "shift amount" field.
- When shifting left, filling with zeros makes sense. But when shifting right, we might want to extend the sign bit instead. sra ("shift right arithmetic") does that.
- Examples?


## Bitwise And and Or

- C \& is translated into and or andi. C | is translated into or or ori. Format/operands are analogous to add and addi.
(Notice/recall that C has two sets of and/or operators — logical and bitwise. These are the bitwise ones.)

Slide 12 - We could use these to test/set particular bits. Examples? Could we use them to, e.g., compute remainder when dividing by power of 2 ?

## Other Logical Operations

- "Exclusive or" implements - what the name suggests (see textbook).
- "Nor" likewise. Can be used to implement "not" (see textbook).


## Flow of Control

- So far we know how to do (some) arithmetic, move data into and out of memory. What about if/then/else, loops? (See sidebar on p. 90 for early commentary on conditional execution.)
- We need instructions that allow us to "make a decision" - beq ("branch if equal"), bne ("branch if not equal").
- Illustrate with an example ...


## Flow of Control Example

- Suppose we have this in C

```
                    if (i == j) goto L1:
                        f = g + h;
                    L1:
                            f = f - i;
```

- What instructions should compiler produce? Assume we're using \$s0 through \$s 4 for for f, g, h, i, j.
- (For now, punt on how to represent L1.)


## Another Flow of Control Example

- Of course, we don't usually have go to in C. More likely is this:

$$
\begin{aligned}
& \text { if (i }==j \text { ) } \\
& \text { f }=\mathrm{g}+\mathrm{h} \\
& \text { else } \\
& f=g-h
\end{aligned}
$$

- What to do with this? Rewrite using go to...


## Loops

- Do we have enough to do (some kinds of) loops? Yes - example:

```
Loop: g = g + A[i];
i = i + j;
if (i != h) goto Loop:
```

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assuming we're using $\$ \mathrm{~s} 1$ through $\$ \mathrm{~s} 4$ for $\mathrm{g}, \mathrm{h}, \mathrm{i}, \mathrm{j}$, and $\$ \mathrm{~s} 5$ for the address of $A$.

- Or how about something that looks more like normal C ?

$$
\text { while (A[i] }==\mathrm{k}) \text { \{ }
$$

$$
i=i+j ;
$$

## More Flow of Control (Preview)

- We can do if/then/else and loops, but only if condition being tested is equals / not equals.
- So, we need instructions that will allow less-than comparisons.
- (We also need something that allows an unconditional branch, but we may punt on that for a while too.)


## Minute Essay

- None - quiz.
- Quiz is "open book, open notes", which means you can look at:
- Textbook (paper or electronic).
- Course Web site (my "notes". sample programs).

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- Your notes (paper or electronic).
but nothing else.

