## Administrivia

- (None?)


## Slide 1

## "Shift" Instructions

- $\mathrm{C} \ll$ and $\gg$ (on unsigned numbers) are translated into sll ("shift left logical") and srl ("shift right logical").
- sll and srl do what the names imply(?): Bits "fall off" one side, and we add zeros at the other side.

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- When shifting left, filling with zeros makes sense. But when shifting right, might want to extend the sign bit instead. sra ("shift right arithmetic") does that.
- All R-format instructions, and they use that "shift amount" field (others don't).
- These instructions very useful for multiplying and dividing by small powers of 2, important since multiplication and division likely to be slow (more later in the course).


## Logical Operations

- Sometimes useful to be able to work with individual bits - e.g., to implement a compact array of boolean values.
- Thus, MIPS instruction set provides "logical operations". Hard to say whether these exist to support C bit-manipulation operations, or C bit-manipulation operations exist because most ISAs provide such instructions!


## Bitwise And and Or

- C \& is translated into and or andi. C | is translated into or or ori. Format/operands are analogous to add and addi. (Note however that while the immediate value in add is sign-extended, the one for andi is not.)
(Note/recall that C has two sets of and/or operators - logical and bitwise.
Slide 4 These are the bitwise ones.)
- (Example on next slide.)
- We could use these to set, clear, or test particular bits (or to set, and to clear, and with a 1 in the position to test and then a check of result).
- All R-format or I-format instructions.


## Example of Bitwise And, Or

- Given the following values for $\$ \mathrm{~s} 1, \$ \mathrm{~s} 2$

000000010100101001101001011110101000
101000110101000010011001111100000101
result of applying and is
000000010100000000001001011100000000
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and result of applying or is
000000010100101001101001011110101000
101000110101101011111001111110101101

Other Logical Operations

- "Exclusive or" implements ... what the name suggests (see textbook).
- "Nor" likewise. Can be used to implement "not" (see textbook).


## Flow of Control

- So far we know how to do (some) arithmetic, move data into and out of memory. What about if/then/else, loops? (See sidebar on p. 96 for early commentary on conditional execution.)
- Need instructions that allow us to "make a decision". Perhaps surprisingly,


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 only two: beq ("branch if equal"), bne ("branch if not equal").- Format:
beq reg1, reg2, label
where label is a "label" (text followed by : in source, either on the same line as the instruction to branch to or on a line by itself just before) and similarly for bne.
- Illustrate with an example ...


## Sidebar: goto

- Some very early HLLs implemented conditional execution using goto, also spelled go to.

What it does: Immediately transfer control to some other point in the program, identified by a label (e.g., here:).

Slide $8 \quad$ - Conditional execution and loops can all be expressed using goto. Makes some sense, since this is pretty much all the hardware can do.

- Very quickly became apparent that this made for code that was hard to reason about. So later languages have been "block structured".


## Sidebar: goto in C, Continued

- goto still exists in $C$ because every once in a while it makes for more-readable code (e.g., some error handling).
- Useful in this course as an intermediate step between block-structured ("normal"?) C and assembly language, which has no notion of block structuring.
- (Sometimes written goto. Same thing.)


## Flow of Control Example

- Suppose we have this in C (and as usual all variables are 32-bit integers)

```
    if (i == j) goto L1:
    f = g + h;
L1: f = f - i;
```

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- What instructions should compiler produce? Assume we're using \$s0 through \$s 4 for f, g, h, i, j.
- (For now, punt on how to represent L1.)

Flow of Control Example, Continued

- Compiling

```
                    if (i == j) goto L1:
                    f = g + h;
                    L1:
                            f = f - i;
```

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using $\$ \mathrm{~s} 0$ through $\$ \mathrm{~s} 4$ for $\mathrm{f}, \mathrm{g}, \mathrm{h}, \mathrm{i}, \mathrm{j}$.
gives
beq \$s3, \$s4, L1
add \$s0, \$s1, \$s2
L1:
sub $\$ s 0, \$ s 0, \$ s 3$

## Another Flow of Control Example

- Of course, we don't usually have goto in C. More likely is this:

$$
\begin{aligned}
& \text { if }(\mathrm{i}==\mathrm{j}) \\
& \mathrm{f}=\mathrm{g}+\mathrm{h} \\
& \text { else } \quad \\
& \quad \mathrm{f}=g-\mathrm{h}
\end{aligned}
$$

- What to do with this? Rewrite using goto...


## Another Flow of Control Example

- Rewriting
gives
if (i != j) goto Else:

$$
f=g+h
$$

goto End:

$$
\text { Else: } \quad f=g-h
$$

End: . . .
and then we can continue as before. (How to do unconditional "goto"? $j$ ("jump").)

## Loops

- Do we have enough to do (some kinds of) loops? Yes - example:

$$
\begin{array}{ll}
\text { Loop: } & g=g+A[i] ; \\
& \text { i }=i+j ; \\
& \text { if }(i \quad!=h) \text { goto Loop: }
\end{array}
$$

assuming we're using $\$ \mathrm{~s} 1$ through $\$ \mathrm{~s} 4$ for $\mathrm{g}, \mathrm{h}, \mathrm{i}, \mathrm{j}$, and $\$ \mathrm{~s} 5$ for the address of A.
(This time we'll use sll rather than two adds to multiply i by 4.)

$$
\begin{aligned}
& \text { if (i == j) } \\
& f=g+h \\
& \text { else } \\
& \mathrm{f}=\mathrm{g}-\mathrm{h}
\end{aligned}
$$

## Loops - Example Continued

- Result

| Loop: | sll | \$t1, \$s3, 2 | \# \$t1 <- 4*i |
| :---: | :---: | :---: | :---: |
|  | add | \$t1, \$t1, \$s5 | \# \$t1 <- \& of A[i] |
|  | lw | \$t0, 0 (\$t1) | \# \$t0 <- A [i] |
|  | add | \$s1, \$s1, \$t0 | \# $\mathrm{g}=\mathrm{h}+\mathrm{A}[\mathrm{i}]$ |
|  | add | \$s3, \$s3, \$s4 | \# i $=$ i + j |
|  | bne | \$s3, \$s2, Loop | \# if (i!=h) goto Loop |

## Conditional Execution, Continued

- If hand-compiling from C , useful to first translate into code with only goto for out-of-sequence execution, and from there to MIPS.
- Example:
while (A[i] == k) \{ i $=i+j ;$
\}


## Example Continued

- MIPS equivalent, with C -with-goto as comments (and assuming $\$ \mathrm{~s} 0$ has the address of $A$ and registers $\$ s 1$ through $\$ s 3$ have $i, j$, and $k$ ):

Loop:
\# if (A[i] != k) goto End:
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## More Flow of Control

- With what we have now we can do if/then/else and loops, but only if condition being tested is equals / not equals.
- So, we need instructions such as blt, ble, right?
- But those are apparently difficult to implement well; instead MIPS has "set on less than":
slt r1, r2, r3
which compares the contents of registers $r 2$ and $r 3$ and sets $r 1-1$ if $r 2$ is smaller, else 0 .
- Example - compile the following C:
if (a < b) goto Less:
assuming we're using $\$ \mathrm{~s} 0, \$ \mathrm{~s} 1$ for $\mathrm{a}, \mathrm{b}$.


## Example Continued

- Equivalent MIPS:

```
slt $t0, $s0, $s1
bne $t0, $zero, Less
```


## More Flow of Control, Continued

- Do we have enough now? for all six possible C comparisons of integers? Yes...
- One more C flow-of-control construct we could talk about - swit ch — but defer for now.

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- Machine language for all of these instructions? Later.


## Minute Essay

- Is the "shift amount" field big enough to represent all possible shifts? Is it bigger than it needs to be?


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## Minute Essay Answer

- It's just the right size - with 5 bits we can represent values of 0 through 31, and the range of possible meaningful shifts ranges from 0 through 31 as well. (Think for a minute about what happens when you shift a 32 -bit value 32 bits left or right; is it useful?)

