







 $\mathbf{2}$



Solution Using TSL Instruction, Continued

- Proposed invariant: "lock is 0 exactly when no processes in their critical regions, and nonzero exactly when one process in its critical region." ("Exactly when" here means "if and only if".)
- True initially.
- Slide 6
- Could change when a process enters its critical region but notice that only happens when lock is 0.
- Also doesn't change when a process leaves its critical region.
- So okay.













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	Bounded Buffer	Problem — Solution
	 Shared variables: 	
	<pre>buffer B(N); // empty, capacity N semaphore mutex(1); semaphore empty(N); semaphore full(0);</pre>	
Slide 17	Pseudocode for producer:	Pseudocode for consumer:
	while (true) {	while (true) {
	<pre>item = generate();</pre>	down(full);
	down(empty);	down(mutex);
	down(mutex);	item = get(B);
	<pre>put(item, B);</pre>	up(mutex);
	up(mutex);	up(empty);
	up(full);	use(item);
	}	}











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- So, actual implementations need notion of "memory fence" point at which all apparent reads/writes have actually been done. Some languages provide standard ways to do this; others (e.g., C!) don't. C's volatile ("may be changed by something outside this code") helps some but may not be enough.
- Worth noting, however, that many library functions / constructs include these memory fences as part of their APIs (e.g., Java synchronized blocks).



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